

Natural Language Processing

CSCI 4152/6509 — Lecture 22

Natural Language Syntax

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Time and date: 16:05 – 17:25, 23-Nov-2023

Location: Rowe 1011

Previous Lecture

- Neural language model, RNN, stacked and bidirectional RNN
- LSTM, self-attention, transformers

Part IV: Parsing (Syntactic Processing)

- Prolog introduction
 - ▶ unification and backtracking
 - ▶ variables, lists; examples: factorial, member

Natural Language Syntax

- Syntax — NLP level of processing
 - ▶ Syntax = sentence structure; i.e., study of the phrase structure
- *sýntaxis* (Greek) — “setting out together, arrangement”
- Words are not randomly ordered — word order is important and non-trivial
- There are “free-order” languages (e.g., Latin, Russian), but they are not completely order free.
- Reading: Chapter 12 (JM book) or Ch.17 (JM on-line)

Phrase Structure and Dependency Structure

- Two ways of organizing sentence structure:
 - ▶ phrase structure
 - ▶ dependency structure
- Phrase structure
 - ▶ nested consecutive groupings of words
- Dependency structure
 - ▶ dependency relations between words
- The main NLP task at the syntax level: *parsing*
 - ▶ given a sentence, find the correct structure

Phrase Structure

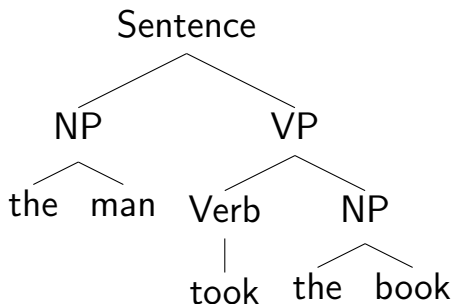
- Phrase Structure Grammars or Context-Free Grammars
- A hierarchical view of sentence structure:
 - ▶ words form phrases
 - ▶ phrases form clauses
 - ▶ clauses form sentences
- Parsing: given a sentence find the context-free parse tree; a.k.a. phrase structure parse tree

Example Sentence

the man took the book

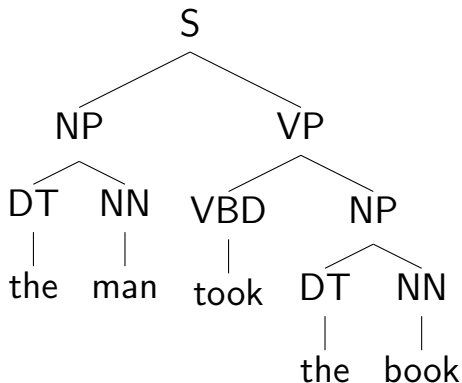
Phrase Structure Parse Tree Examples

- Phrase Structure parse trees are also called Context-Free parse trees
- This example is from the seminal Noam Chomsky's paper in 1956:



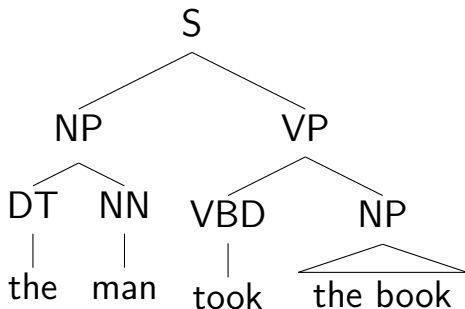
Parse Tree Examples (Penn treebank tagset)

- Using Penn treebank tagset:



Parse Tree Examples ('triangle' notation)

- Sometimes we simplify a parse tree by ignoring a part of the structure, as in:

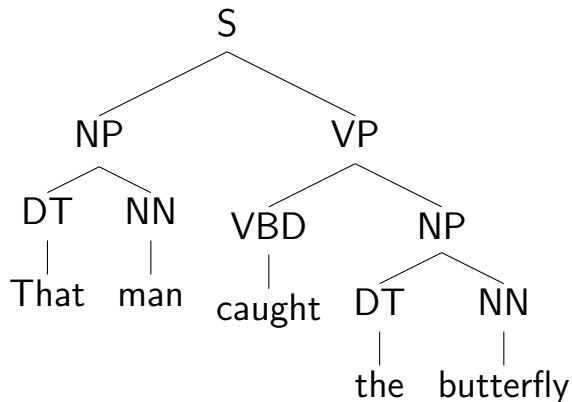


Parse Tree Example 2 ('butterfly' sentence)

That man caught the butterfly with a net

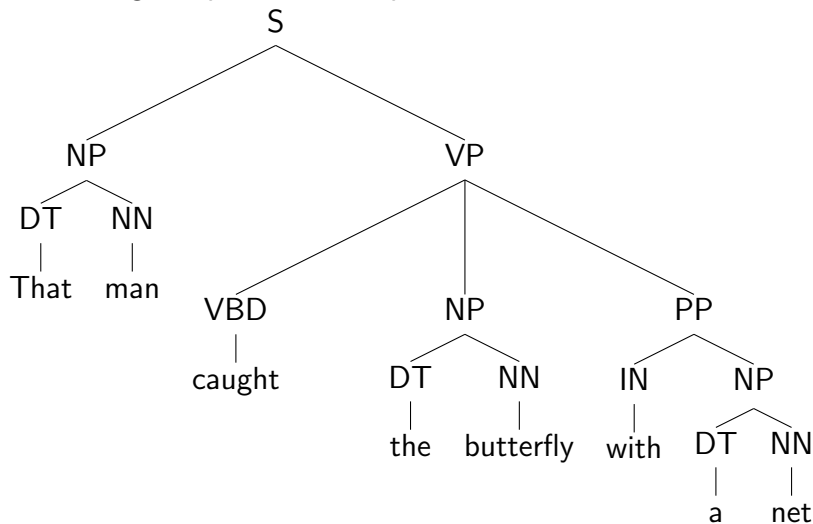
Parse Tree Example 2 ('butterfly')

- Another example:



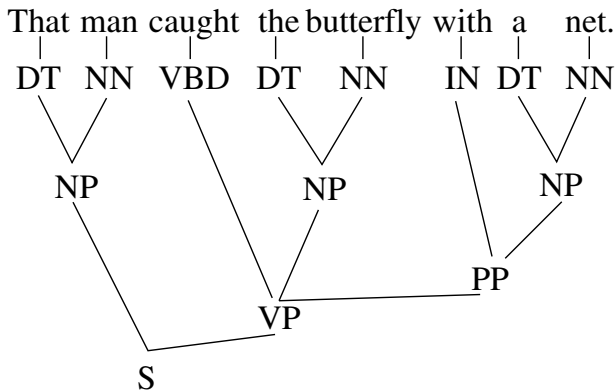
Parse Tree Example3 ('butterfly' extended)

- Extending the previous example:



Parse Tree Example (root bottom)

- Representing parse trees in the bottom-up direction:



Some Basic Notions in Context-Free Trees

- Context-free trees, also called phrase structure trees, parse trees, syntactic trees
- Node relations: root, leaf, parent (mother), child (daughter), sibling, ancestor, descendant, dominate
- Context-free grammar
- Consider for example the context-free grammar induced by the last parse tree shown

Context-Free Grammars (CFG) Review

CFG is a tuple (V, T, P, S) , where

- V is a finite set of **variables** or **non-terminals**;
e.g., $V = \{S, NP, DT, NN, VP, VBD, PP, IN\}$
- T is a finite set of **terminals**, words, or lexemes;
e.g., $T = \{\text{That, man, caught, the, butterfly, with, a, net}\}$
- P is a set of **rules** or **productions** in the form $X \rightarrow \alpha$, where $X \in V$ and $\alpha \in (V \cup T)^*$; e.g.,
 $P = \{S \rightarrow NP VP, NP \rightarrow DT NN, DT \rightarrow \text{That}, NP \rightarrow \epsilon\}$
- S is the **start symbol** $S \in V$

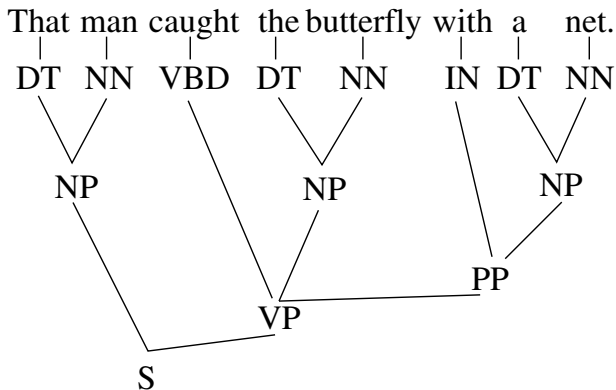
Some Notions about CFGs

- CFG, also known as Phrase-Structure Grammar (PSG)
- Equivalent to BNF (Backus-Naur form)
- Idea from Wundt (1900), formally defined by Chomsky (1956) and Backus (1959)
- Typical notation (V, T, P, S) ; also (N, Σ, R, S)

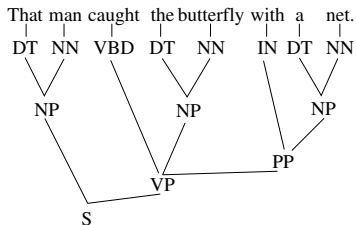
CFG Derivations

- Direct derivation, derivation
- Example of a direct derivation: $S \Rightarrow NP VP$
- Example of a derivation (beginning of):
 $S \Rightarrow NP VP \Rightarrow DT NN VP \Rightarrow \text{That } NN VP \Rightarrow$
...
- Left-most and right-most derivation

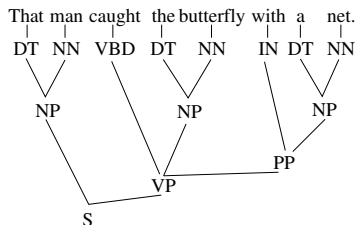
Parse Tree Example (revisited)



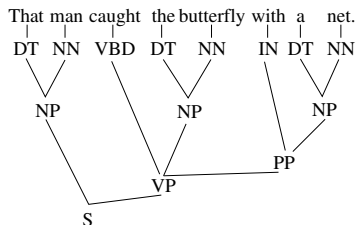
A Derivation Example (random)



Leftmost Derivation Example



Rightmost Derivation Example



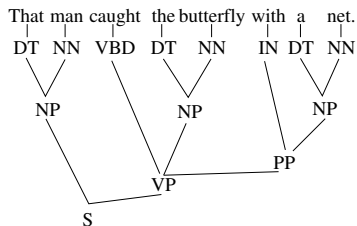
Leftmost Derivation Example

- $S \Rightarrow NP VP \Rightarrow DT NN VP \Rightarrow$ That $NN VP \Rightarrow$ That man VP
- \Rightarrow That man $VBD NP PP$
- \Rightarrow That man caught $NP PP$
- \Rightarrow That man caught $DT NN PP$
- \Rightarrow That man caught the $NN PP$
- \Rightarrow That man caught the butterfly PP
- \Rightarrow That man caught the butterfly $IN NP$
- \Rightarrow That man caught the butterfly with NP
- \Rightarrow That man caught the butterfly with $DT NN$
- \Rightarrow That man caught the butterfly with a NN
- \Rightarrow That man caught the butterfly with a net

Some Notions about CFGs (continued)

- Language generated by a CFG
- Context-Free languages
- Parsing task
- Ambiguous sentences
- Ambiguous grammars
- Inherently ambiguous languages

Bracket Representation of a Parse Tree



Bracket Representation of a Parse Tree

```
(S (NP (DT That)
      (NN man))
  (VP (VBD caught)
      (NP (DT the)
          (NN butterfly))
      (PP (IN with)
          (NP (DT a)
              (NN net)))
      )
  )
)
```

Some Notes on CFGs

- Left-hand side (lhs) and right-hand side (rhs) of a production

$$\underbrace{S}_{lhs} \rightarrow \underbrace{NP VP}_{rhs}$$

- Empty rule (epsilon rule, epsilon production): $V \rightarrow \epsilon$
- Unit production: $A \rightarrow B$, where A and B are non-terminals
- Notational variations:
 - ▶ use of '|': $P \rightarrow N \mid AP$, instead of $P \rightarrow N$, $P \rightarrow AP$
 - ▶ BNF notation: $P ::= N \mid AP$
 - ▶ use of word 'opt': $NP ::= DT NN PP_{opt}$
 - ▶ or Kleene star: $NP ::= DT NN PP^*$

Using Prolog to Parse NL

Example: Consider a simple CFG to parse the following two sentences: “the dog runs” and “the dogs run”

The grammar is:

S	->	NP VP	N	->	dog
NP	->	D N	N	->	dogs
D	->	the	VP	->	run
			VP	->	runs

How to parse: the dog runs

Using Difference Lists: Idea

Consider rule: $S \rightarrow NP VP$ and sentence [the,dog,runs]

Using Difference Lists to Parse CFG

The problem of parsing using this grammar can be expressed in the following way in Prolog:

```
s(S,R) :- np(S,I), vp(I, R).
```

```
np(S,R) :- d(S,I), n(I,R).
```

```
d([the|R], R).
```

```
n([dog|R], R).
```

```
n([dogs|R], R).
```

```
vp([run|R], R).
```

```
vp([runs|R], R).
```

Parsing using Difference Lists

```
Save this in file parse.prolog. On Prolog prompt we
type: ?- ['parse.prolog'].
% parse.prolog compiled 0.00 sec, 1,888 bytes
```

Yes

```
?- s([the,dog,runs], []).
```

Yes

```
?- s([runs,the,dog], []).
```

No