

Natural Language Processing

CSCI 4152/6509 — Lecture 3

Finite Automata Review

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Time and date: 16:05 – 17:25, 12-Sep-2023

Location: Rowe 1011

Previous Lecture

- Why is NLP hard?
 - ▶ ambiguous, vague, universal
- Ambiguities at different levels of NLP
- About course project
 - ▶ Deliverables: P0, P1, P, R
 - ▶ Project report structure
 - ▶ Choosing project topic

Part II: Stream-based Text Processing

- Considering text as a stream of characters, words, and lines of text
- Review of Finite Automata and Regular Expressions
- Review of Unix-style text processing
- Introduction to Perl
- Morphology fundamentals
- N-grams
- Reading: Chapter 2, Jurafsky and Martin

Finite-State Automata

- Regular Expressions and Regular Languages
- Regular Languages can be described using
 - ▶ Regular Expressions
 - ▶ Regular Grammars
 - ▶ Finite-State Automata (DFA and NFA)
- DFA = Deterministic Finite Automaton
- NFA = Non-deterministic Finite Automaton
- also referred to as Finite-State Machines

Deterministic Finite Automaton

- Formally defined as a 5-tuple: $(Q, \Sigma, \delta, q_0, F)$
 - ▶ Q is a set of states
 - ▶ Σ is an input alphabet
 - ▶ $\delta : Q \times \Sigma \rightarrow Q$ is a transition function
 - ▶ $q_0 \in Q$ is the start state
 - ▶ $F \subset Q$ is a set of final or accepting states
- Graph representation is frequently used
- Consider finite automata for sets of strings:
baaa...a! ha-ha-...-ha
up-up-down-up-down-up-up-...down

DFA for language $baa\dots a!$ using a graph

Consider DFA for: ha-ha-...-ha

Representing DFA

- Formally, as sets and functions (mappings)
- As a transition table
- As a graph
- Consider the DFA for the language: baaa...a!

DFA for language $baa\dots a!$ using a table

Non-deterministic Finite Automaton

- Formally: $(Q, \Sigma, \delta, q_0, F)$
- However, the transition function is different:
 $\delta : Q \times \Sigma_\epsilon \rightarrow P(Q)$
where $\Sigma_\epsilon = \Sigma \cup \{\epsilon\}$, and $P(Q)$ is the set of all subsets of Q (powerset)
- A string is accepted if there is *at least* one path leading to an accepting state
- Consider: `/. *ing/` or `/jan|jun|jul/`

NFA for `/. *ing/` or `/jan|jun|jul/`

Another NFA and DFA Example

- Write a DFA that accepts any sequence over alphabet $\Sigma = \{a, b, \dots, z\}$ that ends with 'eses', like 'theses' or 'parentheses'.
- Write an NFA that accepts the same language.

Implementing NFAs

- DFA — easy to implement, NFA — not straightforward
- Two approaches for NFA: backtracking and translation to DFA
- Using backtracking — usually inefficient solution
- Translating into a DFA
 - ▶ Sets of reachable NFA states become states of new DFA

NFA to DFA Translation

- Start with NFA and create new equivalent DFA
- DFA states are sets of NFA states
- If q_0 is the start NFA state, then the start DFA state is **Closure**(q_0)
- **Closure**(A) of a set of NFA states A is a set A with all states reachable via ε -transitions from A
- Fill DFA transition table by keeping track of all states reachable after reading next input character
- Final states in DFA are all sets that contain at least one final state from NFA